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INTERIM SCIENTIFIC REPORT  
1 DEC 1977 - 30 NOV 1978

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HEAT TRANSFER AND PRESSURE MEASUREMENTS  
ON A CONCAVE CONIC MODEL UNDER BOTH  
STEADY AND UNSTEADY HYPERSONIC FLOW CONDITIONS

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B.E. RICHARDS

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Heat transfer and pressure measurements have been measured on a conic configuration with a strongly concave surface and a blunt nose tip in the von Karman Institute Longshot free piston tunnel at M-15 and 20. The test flow parameters achieved closely simulated reentry aerodynamic conditions. Information derived from the measurements and also from high speed ciné schlieren sequences enabled information to be derived on the effect of Mach number, Reynolds number, surface roughness and flow incidence on the flow over the model, the heat transfer distribution and stability of the flow.			

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# FOREWORD

The activities and results documented in this report were supported under Project 63311F with Captain R. Chambers of Space and Missile Systems Organization, acting as project engineers. The report covers work conducted during the period December 1, 1977 through November 30, 1978.

The technical advice and guidance by Mr Victor DiCristina, Manager, Thermodynamics and Materials Test Department, Avco Systems Division, Wilmington, Mass. in the area of model design and instrumentation was particularly value. The author acknowledges the help of Mssrs Roger Conniasselle and Fernand Vandenbroeck in operating the tunnel and Mr Jean-Claude Lobet for the photography. Mssrs B. Boussin and D. Desnoyer of Ecole Nationale Supérieure d'Aéronautique, Toulouse, France and Mr. P. Philips of Southampton University, U.K. and Mr C. Beer of Imperial College, London, U.K. participated in the tests, data reduction and interpretation of the results, while carrying out "stages" at VKI.

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## 1. INTRODUCTION

In the design of ablation type components for reentry vehicles, it is critical to be able to predict the flow behaviour on the complicated shapes evolved during flight. The full problem involves understanding the processes in, for instance, a boundary layer with mass addition from ablation with transition and maybe flow instability present. A useful input can be obtained from the testing of appropriate passive, i.e., non ablating models in flow conditions similar to that expected to be encountered in flight.

Because of lack of advanced facilities in operation at present, and for economic reasons, most parametric test programs are carried out at Mach numbers much below that encountered during the most critical reentry region with regard to maximum deceleration and maximum surface heating. Studies in the Longshot facility, described in reference 1, have the advantage that mainly exact simulation of Mach number and Reynolds number are achieved with full size models. Hence, using this facility, checks can be made on the lower Mach number studies as well as pinpointing other areas of further necessary study.

Figure 1 demonstrates the families of shapes which have been found on ablating reentry nosetips. Studies to date have included measurements on  $50^{\circ}$ - $8^{\circ}$  biconic models (representing a "blunt turbulent shape") and hemispheres ("spherical"). The experimental measurements in laminar, transitional, turbulent flow on a variety of smooth and rough-walled models of these types with and without nose bluntness and at various angles of attack, have been compared with appropriate theories (Refs. 2, 3). Pressure and heat transfer measurements have been made on convex shapes (also representing "blunt turbulent" shapes, Ref. 4) and on concave biconic surfaces (representing "transitional" shapes). A preliminary phase of the study of "unsteady" flows over concave shapes has also been accomplished (Ref. 5).

In all of these studies, the level of achievement has been in checking the feasibility of the measurement technique and to developing initial analyses to explain the results. The present series of tests involves a systematic study of the flow over a concave shape which is close to the "unsteady" family of shapes. The study in particular deals with the effect on the flow of Mach number, Reynolds number, surface roughness and model incidence.

Surface indentation in the nose region of axisymmetric blunt bodies in high speed flow has been considered as a means of decreasing drag in high speed cruise or glide vehicles and increasing drag in planetary reentry vehicles as well as occurring on ablating missile nose-cones. For this reason the subject has attracted a great deal of interest. For some configurations of surface indentation or concavity, flow unsteadiness occurs. The most comprehensive study made to date on this phenomenon (Ref. 6) identifies three types of flow unsteadiness ranging from : small movements of the shock waves induced by unsteady small separated regions (called "vibration" mode of instability); unsteadiness involving larger movements of the bow shock was designated "oscillation"; and an explosive but periodic flow called "pulsation". The most striking feature of the pulsation mode is the movement of the bow shock wave between the two extremes as illustrated in figure 1. The information gained in this study appears to be mainly pulsation flow.

Kenworthy et al. (Ref. 7) reported a study to gain insight into the "pulsation" mode of instability using a spiked blunt body shape in a Mach 6.0 flow through application of time-dependent measurement techniques and simple shock-polar analyses. It was concluded that the unusually intense instability is associated with the formation of a high speed annular jet directed towards the root of the spike due to the interaction of the weak foreshock and a strong aft shock present for a little more than one tenth of the cycle time of the instability.

## 2. EXPERIMENTAL APPARATUS AND PROCEDURE

### 2.1 Test facility

The von Karman Institute Longshot test facility as schematized in figure 2 was used for this program. Longshot differs from a conventional gun tunnel in that a heavy piston is used to compress the nitrogen test gas to very high pressures and temperatures (Refs. 1, 3). The test gas is then trapped in a reservoir at peak conditions by the closing of a system of check valves. The flow conditions decay monotonically during 10 to 20 millisecond running times as the nitrogen trapped in the reservoir flows through the 6° half-angle conical nozzle into the preevacuated open jet test chamber. The extremes in supply conditions used in these tests are approximately 55,000 lb/in<sup>2</sup> at 1900°K and 38,000 lb/in<sup>2</sup> at 2320°K. These provide unit Reynolds numbers of  $8.5 \times 10^6$  and  $2 \times 10^6$  per ft at nominal Mach numbers of 15 and 20, respectively. The two Mach numbers were obtained at the 14 in. diameter nozzle exit plane by using throat inserts with different diameters.

### 2.2 Models and instrumentation

The concave conic model designated Model M was supplied by Avco Systems Division and had a 0.437 in radius nosetip and a 7.294 in. base diameter (see Fig. 3). The forebody consisted initially of a cone with an angle of 22° up until the model diameter achieved a value of 2.15 in. The radius of the generator defining the convex forebody was 2.5 in. giving a surface angle change from 22° to approximately 85°. The shoulder of the model was rounded off to a radius of approximately 0.4 in. leading to an afterbody cone angle of 6°.

The model was tested with two different levels of surface roughness. A sandblasted surface roughness with a mean roughness height of 0.005 in. is designated as model MR1. A larger scale of roughness was achieved by bonding spherical aluminium particles to the surface. This larger roughness scale configuration



using a particle size of mean diameter 0.065 in. is designated model MR2.

Ten copper calorimeter heat transfer gauges manufactured by BBN and supplied with the models were mounted flush along the model surface as illustrated in figure 2. The locations of the gauges have been designated A to J in order of distance from the nose. The heat transfer gauges mounted at positions B, D, F and I are located on the upper side of the model as mounted in the tunnel and gauges A, C, E, G and H are located on the lower side of the model. Gauge H is located at  $30^\circ$  around the model from the lower side. The distance of the center of each gauge from the nose is given in figure 3. An additional gauge which has been contoured to fit the local shape was placed on the nose of the model. Ten pressure taps located at stations A-J were mounted at positions diametrically opposite (except for gauge H) to the heat transfer gauges. Details of the heat sensors used and the associated recording equipment is given in references 8 and 9. The calibration technique used for these transducers is described in reference 4. The gauge calibration factors found and used for data reduction are given in Table 1. Pressure measurements were made using PCB piezoelectric transducers. This method of measuring pressures is standard in the Longshot testing. No special measures were taken in order to measure the expected high frequency fluctuations.

The reservoir pressure is measured using Kistler Type 6201 piezoelectric gauges. The reservoir temperature was assessed from signals from a tungsten-rhenium thermocouple mounted in the reservoir. Pitot pressures are measured with a PCB piezoelectric transducer. The tunnel test flow has undergone detailed calibration at the four standard test conditions using fine wire stagnation temperature probes as described in reference 10.

### 2.3 Schlieren photography

An 18 in conventional single pass Toepler schlieren system equipped with high quality optical components is used. With the exception of one 24 in. diameter plane mirror to bend

the light  $90^\circ$  (due to the vicinity of a wall near the test section) the light beam takes a Z-shaped path. High speed ciné schlieren photographs were taken using a 16 mm Kodak ciné camera. Framing rates of 6,000 per second were achieved during the running time by operating the camera without the rotating prism shutter and exposing the film to sequenced multiple sparks of approximately 1  $\mu$ sec duration.

#### 2.4 Test matrix

Table 2 gives the scope of the test series and identifies the test number with each model and flow configuration. It can be seen that the test series provides cross sections of a complete matrix involving the parameters of flow Mach number, Reynolds number, surface roughness and angle of incidence. The test conditions given in this table are nominal values. The actual test conditions were calculated from appropriate measurements using the Longshot data reduction program (described in Ref. 8) and summarized in Table 3.



### 3. RESULTS AND DISCUSSION

#### 3.1 Presentation of time-averaged results and general remarks

The overall time averaged measurements of the study are presented in figures 5, 6 and 7. These are displayed in such a way as to facilitate the discussion of the effects of changing various parameters. The dimensional heat transfer rate, normalized heat transfer rate and normalized pressure are given in the figures designated b, c and d, respectively. Selected sequences of photographs from the ciné schlieren flow visualizations are given in the figures designated a. Figure 5 represents the results taken on models MR1 and MR2 at nominal conditions of  $M = 16$  and  $Re = 9 \times 10^6$  per foot at  $\alpha = 0^\circ$ ,  $+3^\circ$  and  $-3^\circ$ . Figure 6 gives the results on the same models and at the same incidences at  $M = 20$ , and  $Re = 3 \times 10^6$  per foot. The final figure 7 presents results on these models at  $M = 16$  and  $Re = 4.5 \times 10^6$  per ft and  $M = 20$  and  $Re = 2 \times 10^6$  per foot at zero angles of attack.

The experimental and normalized results for all tests are also presented in Tables 4 - 7. The pressures are normalized with respect to the pitot pressure, which is assumed to be the same as the stagnation point pressure. The heat transfer rates are normalized with respect to the theoretical stagnation point heat transfer on a 0.437 in. radius hemisphere, whose value is given in Table 3, and which is calculated from free stream conditions using the Fay and Riddell formula as presented in Ref. 8.

A negative incidence,  $\alpha$ , in the figures represents a "leeward" surface, and a positive value a "windward" surface. Since during one particular test some heat transfer gauges are on a windward surface when the pressure at the same distance from the leading edge is on the leeward surface and vice versa, the figures are rearranged to align data on surfaces with the same attitude to the flow rather than in terms of run numbers (as in the case of the tabulated data). In order to interpret the location of the data, in the tables "t" is used for measurements on the top surface,

"b" denotes bottom (or lower) surface and "s" represents a side position.

### 3.2 Discussion of measurements

#### 3.2.1 Time-averaged pressure measurements

(Figures 5d, 6d, 7d)

For the  $0^\circ$  and  $-3^\circ$  cases, in general, the time-averaged pressure measurements show a flat pressure distribution with distance sensed by the gauges in the region of 1.5 to 4.5 ins. from the nose. This observation, backed up by examination of the schlieren photographs indicate that there exists a large separated region extending over this range for these angle of attack cases. The pressure level in this region can be assessed approximately by guessing the displacement thickness of the separated region and then calculating the pressure distribution assuming inviscid flow over the resultant effective body shape. If we assume that the shear layer extends from the nosetip shoulder to the afterbody shoulder, its angle to the flow for angles of incidence of  $-3^\circ$ ,  $0^\circ$  and  $+3^\circ$  would be  $37^\circ$ ,  $40^\circ$  and  $43^\circ$  respectively.

For these angles the pressure non-dimensionalized by the pitot pressure in the separated region as predicted by Newtonian theory and tangent cone theory in the range  $15 < M < 20$  is as follows

Angle of incidence	$-3^\circ$	$0^\circ$	$3^\circ$
Newtonian theory	0.362	0.413	0.465
Tangent cone theory	0.417	0.476	0.537

Comparing these values with the measurements it is seen that the measured pressure levels are roughly predicted by this simple analysis at least for the  $0^\circ$  and  $-3^\circ$  incidence cases.

Generally, for the  $+3^\circ$  incidence cases, the pressure falls below the above tabulated values near the nose, but increases rapidly over the remaining position of the forebody to values often

greater than the stagnation point pressure. This arises since the separated region of flow is smaller, the intersection of the bow shock and aft shock wave occurs above the surface in front of the shoulder as seen in the schlieren photographs, with the resulting interaction occurring near the shoulder.

### 3.2.2 Time-average heat transfer rates

In these discussions it is chosen to make use of the non-dimensional heat transfer results given in figures 5c, 6c and 7c.

Zero angle of attack cases : The shape of the distribution of normalized heat transfer with distance is similar in all cases. The heat transfer drops to around 20% of the stagnation point value at the beginning of the concave surface and then rises monotonically to a value above the stagnation point value just ahead of the shoulder. The increase in heat transfer rate with distance in regions in which the pressure is constant over the concave surface indicates that the flow is transitional. (If the flow had been fully laminar, or fully turbulent, then for these large separated regions it would have been expected that constant heating be present).

Comparison of measurements on models MR1 (low roughness) and MR2 (high roughness) indicate a slight lowering in heat transfer distribution with increasing roughness. No other information on heating within extensive separation regions with surface roughness is known to the author to check this observation. It is pointed out, however, for these rough models, that the heat transfer gauges lie below the mean surface and may be sensing local interactions caused by the roughness elements themselves. It is thus expected that the results on the rough surface model will be more scattered and less accurate than those on the smoother models. This must be taken into account in the interpretation of the data.

For the same surface roughness case it is observed that decreasing the Reynolds number decreases the normalized heat trans-



fer rate on the later sections of the concave surface. This is an indication that the transition point is delayed with decreasing Reynolds number. The fact that little effect was found with changing surface roughness for the same conditions mentioned in the last paragraph indicates that surface roughness does not play a role in the transition process within a separated flow. It is difficult to separate the Mach number behaviour from the Reynolds number behaviour mentioned earlier. However, the impression given is that there appears to be little significant effect of changing the Mach number.

Positive angle of attack cases : Measurements of heat transfer on positive angle of attack surfaces compared with those at zero angle of attack show a similar trend to that in the pressure measurements, i.e., higher heat transfer rates on the later stages of the model concave surface. This again denotes the presence of earlier flow separation and hence the earlier effects of the interaction behind the bow shock after shock interaction. It is seen that just ahead of the shoulder heat transfer rates as high as 600 BTU/ft<sup>2</sup>sec and twice the stagnation point heat transfer are achieved.

A small effect of increasing roughness is seen. This amounts to an earlier decrease in heat transfer rate and a later increase in heat transfer rate with increase in surface roughness. A change in conditions from  $M = 16$ ,  $Re = 9 \times 10^6$  /ft to  $M = 20$ ,  $Re = 3 \times 10^2$  per foot causes a decrease in normalized heat transfer rate similar to (and hence for similar reasons) the zero incidence case.

Negative angle of attack cases : Measurements of heat transfer rate on negative angle of attack surfaces compared with those at zero angle of attack again show a less steep variation in heat transfer rate with distance, giving lower heat transfer rates just before the shoulder. This denotes the presence of slightly later flow separation than for the zero angle of attack case.

As for the other angle of attack cases, there is a trend of slightly decreasing heat transfer rates with increasing surface roughness. Also a change in conditions from  $M = 16$ ,  $Re = 9 \times 10^6$  /ft to  $M = 20$ ,  $Re = 3 \times 10^6$  /ft provides a lowering of the non-dimensional heating rate.

### 3.2.3 Time dependent pressure measurements and photography

The pressure measuring system, although making use of fast response PCB piezo-electric transducers, is limited in response by the pneumatic connection from the surface tap to the transducer. Both the volume of transducer and length of connection was kept to a minimum, however, the frequency response was assessed to be no better than 5 kHz. Furthermore, the U.V. recorder galvanometers used had a response of 5 kHz. This is the standard measuring system used in the Longshot tunnel for measuring quasi steady pressures during the 10 msec duration testing time. Use of flush-mounted gauges was impractical because the transducer heads, which had flat surfaces, were not small enough that they could be considered "contoured" with the surface. Furthermore, it would have been impossible to instrument the model with as much spatial resolution as that obtained using taps.

The copper calorimeter heat transducers, also, have a response time no better than 1 msec, and the signal recorded is an integral of the heat transfer sensed in any case such that data reduction to obtain unsteady information would be difficult.

Hence, such instrumentation is unsuitable for measuring flow unsteadiness when present.

The observations for flow unsteadiness were hence based on the pressure measurement signals backed up by ciné photograph sequences at 6000 frames/sec. Examples of photographs taken during an unstable period are shown in figure 8. One channel of pressure measurement near the shoulder was normally recorded on an oscilloscope. However, although the basic frequency of the unsteadiness of approximately 2 kHz was lower than the frequency response of the



system, the signals were characterized by spikes which were not faithfully followed by the signal. This information should be taken into account in the following interpretation.

The region in which the pressure transducers most easily detected flow instability was in the region just ahead of the shoulder. It is in this region that the instantaneous gradient in pressure is the largest, due to the interaction region downstream of the shock wave intersection and hence movement of the shock waves caused by the instability will have most effect. Since the region of very high instantaneous pressure is very localized, then the signal expected will consist of the "spikes" in signal contained in a relatively low pressure level as in fact recorded and alluded to in the last paragraph. This is indeed the case as shown in figure 9.

In nearly all of the cases tested was there found to be stable flow throughout most of the running time of the tests. The experience is found that there are periods during which instability occurs. This would tend to indicate that the shape for the particular conditions tested is intermediate to one being stable and one being unstable. Experience (Ref. 11) has indicated that the boundary between stable and unstable flow is a very sharp one as found by decreasing, in small steps, the length of a spike mounted on a blunt body. In the present tests, a small change in test conditions or a small test flow perturbation could be envisaged to change the flow from a steady to an unsteady flow situation and back again. In the several occasions that repeat tests were made, it was found that instability did not occur at exactly the same period in each test, hence it is concluded that the instability is more likely to be triggered by tunnel flow instabilities rather than gradually changing flow conditions. From neither the ciné schlieren photograph sequences nor the pressure fluctuation photographs was it easy to assess accurately the periods of instability (although a burst of "noise" seen on the pressure traces in the appropriate region was accompanied by changing shock shapes in the photograph at equivalent times) hence in the ensuing discussion,

some subjectivity must be present. Another feature is that signals recorded near reattachment points are likely to be noisy in any case because of the inherent unsteadiness involved with even so called steady flow situations (see Ref. 12).

#### 3.2.4 Detailed examination of unsteady flow characteristics

$M_{\text{nom}} = 16$ ,  $Re = 9 \times 10^6$  per foot cases,  $\alpha = 0^\circ$  and  $3^\circ$

At zero angle of attack, mild instability occurs at several times during a test with a larger proportion of time unstable for the smooth model than the rougher model. The frequency is around  $2000 \pm 10\%$  equivalent to a Strouhal number (Str) of  $0.17 \pm 10\%$ . This is the same value as found in the previous preliminary study recorded in reference 5.

For the smooth model at  $3^\circ$  angle of attack, the "windward" surface is always found to be unstable, as is the "leeward" surface except for the first two milliseconds. The instability of the leeward surface appears to be forced by the behaviour on the windward surface. The instability of the flow on the windward surface of the model at  $3^\circ$  angle of attack compared to zero angle of attack is expected, because of the shape change presented to the flow : the latter stages of the forebody has a high angle to the flow, and also the change in incidence causes an effective decrease in the "spike length to diameter ratio". Again the frequency of oscillation, very much more evident from the windward pressure tap than the leeward one, indicates a frequency of approximately 2000 (Str = 0.17). With a rougher surface, however, the flow becomes relatively stable as seen on the pressure traces.

$M_{\text{nom}} = 20$ ,  $Re = 3 \times 10^6$  per foot cases,  $\alpha = 0^\circ$  and  $3^\circ$

For the smoother model at zero angle of attack a mild instability is sensed during the whole test. The frequency is assessed to be around  $2100 \text{ Hz} \pm 10\%$  giving a Strouhal number of approximately 0.16. For the rougher body case, the flow is more stable, but several bursts of instability occur during the test.

The bursts exist for such a small period that it is difficult to assess the frequency of oscillation.

For angle of attack cases mild oscillation is found for all cases. The schlieren photographs recorded at these test conditions are difficult to interpret because of the existence of intense radiation emitted by dust particles heated to high temperatures behind strong (normal) shock waves, which cannot be eliminated.

$$M_{nom} = 16, Re = 5 \times 10^6 \text{ per foot cases}, \alpha = 0^\circ$$

For both models MR1 and MR2 the flow starts stable and after a certain delay, the flow goes unstable. However, the delay for the model MR2 is longer than for MR1. The frequency is again close to 2000 Hz giving a Strouhal number of 0.16.

$$M_{nom} = 20, Re = 2 \times 10^6 \text{ per foot cases}, \alpha = 0^\circ$$

For both models, the flow appears quite stable except for bursts of mild instability. The rougher model MR2 shows less instability than the smoother model MR1. The bursts of instability are so short that it is difficult to assess their frequency.

Summarizing, the test series indicate that instabilities occur during part of all the tests. Increased roughness has the effect of suppressing the instabilities. In most of the cases, the instability is amplified when the model incidence is changed to  $3^\circ$  from zero degrees. There appears to be no understandable trend of presence of instability over the range  $16 < M < 20$  and  $2 \times 10^6 < Re/ft < 9 \times 10^6$ . The reduced frequency (Strouhal number) of the main instability is approximately 0.16-0.17 over this range of conditions. This agrees with the findings from an earlier, but less complete study carried out in Longshot tunnel and reported in reference 5.



### 3.3 Discussion of results related to evolution of ablation nosetip shapes

The results from this study and earlier studies can be related to the evolution of ablating nose-tips (Fig. 1). Due to transitional flow, then hollow models can be formed by reason of the peak heating occurring away from the stagnation point. For moderately concave models, the interaction obtained causes heat rates to be highest in the concave regions themselves causing the concavity to increase (Ref. 3). At some stage, the concavity reaches such a level, that the flow becomes separated causing the heating peak to shift to the shoulder (Ref. 3). In some cases instabilities occur such as found in the present study. The measurements show several mechanisms for the shoulder to be eroded. Firstly, the heating rate, even the averaged value during unsteady flow situations is highest near the shoulder. Secondly, intense fluctuating loadings on the shoulder caused by the instability could cause a mechanical erosion of the surface. Both of these actions could cause the nosetip to assume the "sharp turbulent" configuration shown in figure 1.

#### 4. CONCLUSIONS

Pressure and heat transfer measurements and high speed schlieren visualization of the flow were made on a concave conic shape with a spherical nosetip tested in the flow of the von Karman Institute Longshot facility at nominal Mach numbers of 16 and 20 and Reynolds numbers of  $9 \times 10^6$  and  $4.5 \times 10^6$ , and  $3.0 \times 10^6$  and  $2.0 \times 10^6$  per ft respectively. The effect of surface roughness and flow incidence of  $\pm 3^\circ$  on the measurements was studied. The shape was characterized by being strongly concave (i.e., small longitudinal radius of curvature) with the late stages of the surface showing an angle of  $85^\circ$  to the flow.

For these models and under the test conditions chosen it is found that instabilities having a reduced frequency of approximately 0.17 occur during part of the testing time. Increased surface roughness has the effect of suppressing the instabilities, but the instability is enhanced when the incidence is changed from  $0^\circ$  to  $3^\circ$ . No clear trend of the existence of instability with changing flow conditions occurs.

The time-averaged measurements give heat transfer and pressure distributions typical of those expected of regions of large transitional separation, i.e., flat distributions followed by peaky values near reattachment points occurring just upstream of the reattachment point. The changes in distribution sensed are affected mainly by the flow conditions (changes shear layer transition point) and angle of incidence (changes reattachment point). Surface roughness appears to affect little the measurements within these large separated regions. The high values of heating sensed near the shoulder is likely to cause an ablating nose to achieve a less strongly concave shape.



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TABLE 1 - HEAT SENSOR CALIBRATION INFORMATION

Position	Gauge No	Calibration constant used
		<u>B.Th.U/ft<sup>2</sup>sec</u> mv / sec
Stagn.point	7	0.480
A	20	0.676
B	15	0.612
C	19	0.505
D	14	0.606
E	5	0.654
F	2	0.671
G	18	0.585
H	16	0.625
I	6	0.548
J	17	0.595

TABLE 2 - TEST IDENTIFICATION

INCIDENCE	0°		+3° *		-3°	
MODEL	MR1	MR2	MR1	MR2	MR1	MR2
M = 16 Re = $9 \times 10^6$	586 (596)	600 (599)	594 (595)	607	593	606
M = 16 Re = $5 \times 10^6$	588 (598)	601	-	-	-	-
M = 20 Re = $3 \times 10^6$	589	603	591	604	592	605
M = 20 Re = $2 \times 10^6$	590	602	-	-	-	-

- \* - positive incidence means top surface is leeward  
 - top surface is the one with the first measuring station  
 after the stagnation point fitted with a  
 pressure tap  
 - in the graphs +ve incidence means a windward surface



TABLE 3 - TEST MATRIX AND CONDITIONS

RUN	MODEL	INCID. (deg.)	P <sub>0</sub> (lb/in <sup>2</sup> )	P <sub>0</sub> perf (lb/in <sup>2</sup> )	T <sub>0</sub> (K)	T <sub>0</sub> perf (K)	T <sub>stag</sub> (K)	Pt <sub>2</sub> (lb/in <sup>2</sup> )	M	Re 10 <sup>-6</sup> (ft <sup>-1</sup> )	p × 10 <sup>2</sup> (lb/in <sup>2</sup> )	T (K)	T <sub>cond</sub> (K)	V (ft/sec)	Q <sup>+</sup> BThU ( $\frac{\text{ft}^2 \cdot \text{sec}}{\text{ft}^2 \cdot \text{sec}}$ )
586	MR1	0	51200	72000	1890	2420	2160	27.85	15.4	8.9	9.0	50	43	7280	270
588		0	38100	44100	2030	2500	2230	13.3	16.2	4.5	3.9	47	40	7410	194
589		0	54900	63300	2400	3070	2690	7.8	19.5	2.9	1.6	40	36	8230	190
590		0	41000	39200	2610	3250	2830	6.0	18.7	1.8	1.3	46	35	8470	177
591		+3	54600	63100	2390	3050	2670	7.8	19.5	2.9	1.6	40	36	8210	188
592		-3	55100	62800	2430	3110	2720	7.6	19.6	2.8	1.5	40	36	8290	190
593		-3	50300	71300	1860	2370	2120	27.9	15.4	9.1	9.0	49	44	7210	264
594		+3	49800	69800	1870	2380	2130	29.2	15.2	9.2	9.7	51	44	7230	272
600	MR2	0	50200	72500	1820	2320	2090	31.5	15.1	10.1	10.6	50	44	7130	274
601		0	37600	43500	2020	2490	2220	18.3	15.2	5.3	6.1	53	42	7380	202
602		0	38900	38700	2450	3030	2660	4.8	19.5	1.8	0.97	40	34	8100	147
603		0	51900	58300	2400	3060	2680	7.2	19.5	2.7	1.5	40	36	8210	172
604		+3	53400	60300	2420	3080	2700	8.3	19.1	2.9	1.8	42	36	8250	196
605		-3	55100	62800	2430	3110	2720	7.6	19.6	2.8	1.5	40	36	8290	190
606		-3	48000	66300	1860	2360	2120	29.7	15.0	9.2	10.2	52	44	7190	272
607		+3	53200	78100	1850	2380	2130	30.6	15.4	9.9	9.9	49	44	7220	278

+ theoretical stagnation point heat transfer on 0.437 in radius hemisphere

TABLE 4 - HEAT TRANSFER MEASUREMENTS

M	Re $10^{-6}$ ft <sup>-1</sup>	MODEL	INCID. degrees	RUN No.	STAG. PT	HT1 A b <sup>+</sup>	HT6 B t	HT2 C b	HT7 D t	HT3 E b	HT8 F t	HT4 G b	HT10 H s	HT9 I t	HT5 J b
15.4	8.9	MR1	0	586	243	51	66	51	90	60	108	117	85	225	391
15.2	9.2		+3	594	244	70	68	93	79	126	82	197	243	132	499
15.4	9.1		-3	593	342	63	110	61	235	89	274	93	124	397	207
15.1	10.1	MR2	0	600	223	33	47	43	55	39	37	100	168	240	361
15.4	9.9		+3	607	255	70	56	82	-	69	-	198	344	107	566
15.0	9.2		-3	606	253	57	73	50	97	39	167	42	75	515	147
16.2	4.5	MR1	0	588	215	40	57	53	77	78	119	140	160	231	358
15.2	5.3	MR2	0	601	266	27	36	31	45	30	74	75	118	200	307
19.5	2.9	MR1	0	589	156	29	31	39	49	33	54	-	86	129	209
19.5	2.9		+3	591	176	43	46	75	50	53	49	135	172	66	260
19.6	2.8		-3	592	203	49	50	42	101	46	165	64	76	202	105
19.5	2.7	MR2	0	603	167	30	19	32	29	29	48	57	108	145	216
19.1	2.9		+3	604	190	46	28	49	32	57	37	152	234	75	244
19.6	2.8		-3	605	193	35	39	35	66	24	107	43	76	262	99
18.7	1.8	MR1	0	590	138	16	20	24	32	23	35	52	54	104	179
19.5	1.8	MR2	0	602	108	12	16	16	20	20	27	35	58	107	184

<sup>+</sup> code : b - gauge on bottom of model; t - top; s - side

+ ve incidence means top surface is leeward

TABLE 5 - NON-DIMENSIONALIZED\* HEAT TRANSFER MEASUREMENTS

M	Re 10 <sup>-6</sup> ft <sup>-1</sup>	MODEL	INCID. degrees	RUN No	THEOR.		STAG. PT	A b	B t	C b	D t	E b	F t	G b	H s	I t	J b
					STAG. PT	STAG. PT											
15.4	8.9	MR1	0	586	270	0.90	0.189	0.244	0.189	0.333	0.222	0.400	0.433	0.315	0.833	1.448	
15.2	9.2		+3	594	272	0.897	0.257	0.250	0.342	0.290	0.463	0.301	0.724	0.893	0.485	1.83	
15.4	9.1		-3	593	264	1.295	0.239	0.417	0.231	0.890	0.337	1.038	0.352	0.470	1.504	0.784	
15.1	10.1	MR2	0	600	274	0.814	0.120	0.172	0.157	0.201	0.142	0.135	0.365	0.613	0.876	1.318	
15.4	9.9		+3	607	278	0.917	0.252	0.201	0.295	-	0.248	-	0.712	1.237	0.385	2.036	
15.0	9.2		-3	606	272	0.930	0.210	0.268	0.184	0.357	0.143	0.614	0.154	0.276	1.893	0.540	
16.2	4.5	MR1	0	588	194	1.108	0.206	0.294	0.273	0.397	0.402	0.613	0.722	0.825	1.191	1.845	
15.2	5.3	MR2	0	601	202	1.177	0.119	0.159	0.137	0.204	0.133	0.327	0.332	0.522	0.885	1.358	
19.5	2.9	MR1	0	589	190	0.821	0.153	0.163	0.205	0.253	0.174	0.284	-	0.453	0.679	1.10	
19.5	2.9		+3	591	188	0.936	0.229	0.245	0.399	0.266	0.282	0.261	0.718	0.915	0.351	1.383	
19.6	2.8		-3	592	190	1.068	0.258	0.263	0.221	0.532	0.242	0.868	0.337	0.400	1.063	0.553	
19.5	2.7	MR2	0	603	172	0.923	0.166	0.105	0.177	0.160	0.160	0.265	0.315	0.597	0.801	0.840	
19.1	2.9		+3	604	196	0.969	0.235	0.143	0.250	0.163	0.291	0.189	0.776	1.194	0.383	1.245	
19.6	2.8		-3	605	190	1.016	0.184	0.205	0.184	0.347	0.126	0.563	0.226	0.400	1.380	0.521	
18.7	1.8	MR1	0	590	177	0.780	0.090	0.113	0.136	0.181	0.130	0.198	0.294	0.305	0.588	1.011	
19.5	1.8	MR2	0	602	147	0.735	0.082	0.109	0.109	0.136	0.136	0.184	0.238	0.395	0.728	1.252	

\* with respect to the theoretical stagnation point heat transfer on 0.437 in sphere



TABLE 6 - PRESSURE MEASUREMENTS

M	Re $10^{-6}$ ft <sup>-1</sup>	MODEL	INCID. degrees	RUN No.	PITOT	A t <sup>†</sup>	B b	C t	D b	E t	F b	G t	H t	I b
15.4	8.9	MR1	0	586	27.9	11.2	11.6	10.1	12.2	12.1	11.3	10.5	-	-
15.2	9.2		+3 *	594	29.2	9.0	-	8.7	8.7	9.0	11.5	8.4	12.2	-
15.4	9.1		-3	593	27.9	10.7	9.4	9.1	9.4	9.5	12.3	13.2	19.6	-
15.1	10.1	MR2	0	600	31.5	10.6	10.8	10.6	11.1	11.2	10.0	10.2	11.7	16.9
15.4	9.9		+3	607	30.6	9.8	9.9	11.2	10.6	11.0	12.0	9.9	11.6	49.0
15.0	9.2		-3	606	29.7	11.2	11.3	11.2	11.1	11.6	11.2	14.5	21.0	28.9
16.2	4.5	MR1	0	588	18.3	7.1	7.4	8.7	6.6	7.8	7.0	7.1	9.5	-
15.2	5.3	MR2	0	601	18.3	7.1	7.7	8.1	7.7	7.7	7.3	7.1	8.4	12.6
19.5	2.9	MR1	0	589	7.84	3.7	4.0	-	3.4	3.8	3.3	3.2	3.9	-
19.5	2.9		+3	591	7.80	3.02	3.02	2.62	2.76	2.95	3.55	3.08	3.32	-
19.6	2.8		-3	592	7.64	3.19	4.24	2.43	2.81	3.30	3.64	3.59	5.66	-
19.5	2.7	MR2	0	603	7.20	3.23	3.30	3.85	3.24	2.25	3.44	3.32	4.13	5.64
19.1	2.9		+3	604	8.29	3.03	3.02	3.38	3.47	3.54	4.52	4.13	3.76	9.46
19.6	2.8		-3	605	7.44	3.27	3.20	3.44	3.25	4.06	3.55	5.16	6.97	3.1
18.7	1.8	MR1	0	590	5.50	2.25	2.58	2.06	2.03	2.12	2.28	2.18	2.68	-
19.5	1.8	MR2	0	602	4.81	2.10	2.24	2.20	2.12	2.24	2.14	2.12	2.76	4.19

† code : b - gauge on bottom of model; t - top; s - side

\* +ve incidence means top surface is leeward



TABLE 7 - NON-DIMENSIONAL PRESSURE MEASUREMENTS

M	Re $10^{-6}$ ft <sup>-1</sup>	MODEL	INCID. degrees	RUN No.	A t	B b	C t	D b	E t	F b	G t	H t	I b
15.4	8.9	MR1	0	586	0.401	0.416	0.362	0.437	0.434	0.405	0.376	-	-
15.2	9.2		+3	594	0.308	-	0.298	0.298	0.308	0.394	0.288	0.418	-
15.4	9.1		-3	593	0.386	0.337	0.326	0.337	0.341	0.441	0.477	0.703	-
15.1	10.1	MR2	0	600	0.337	0.343	0.337	0.352	0.356	0.317	0.324	0.371	0.536
15.4	9.9		+3	607	0.320	0.324	0.366	0.346	0.359	0.392	0.324	0.379	1.600
15.0	9.2		-3	606	0.377	0.380	0.377	0.374	0.391	0.377	0.488	0.707	0.973
16.2	4.5	MR1	0	588	0.388	0.404	0.475	0.361	0.426	0.383	0.388	0.519	-
15.2	5.3	MR2	0	601	0.388	0.421	0.443	0.421	0.421	0.399	0.338	0.459	0.689
19.5	2.9	MR1	0	589	0.472	0.510	-	0.306	0.485	0.421	0.408	0.497	-
19.5	2.9		+3	591	0.387	0.387	0.336	0.354	0.378	0.455	0.395	0.426	-
19.6	2.8		-3	592	0.418	0.555	0.318	0.368	0.432	0.476	0.470	0.741	-
19.5	2.7	MR2	0	603	0.449	0.458	0.535	0.450	0.313	0.478	0.461	0.574	0.783
19.1	2.9		+3	604	0.366	0.364	0.408	0.419	0.427	0.545	0.495	0.453	1.141
19.6	2.8		-3	605	0.440	0.430	0.462	0.437	0.546	0.477	0.694	0.937	0.417
18.7	1.8	MR1	0	590	0.409	0.459	0.375	0.369	0.385	0.415	0.396	0.487	-
19.5	1.8	MR2	0	602	0.437	0.466	0.457	0.441	0.466	0.445	0.441	0.555	0.871

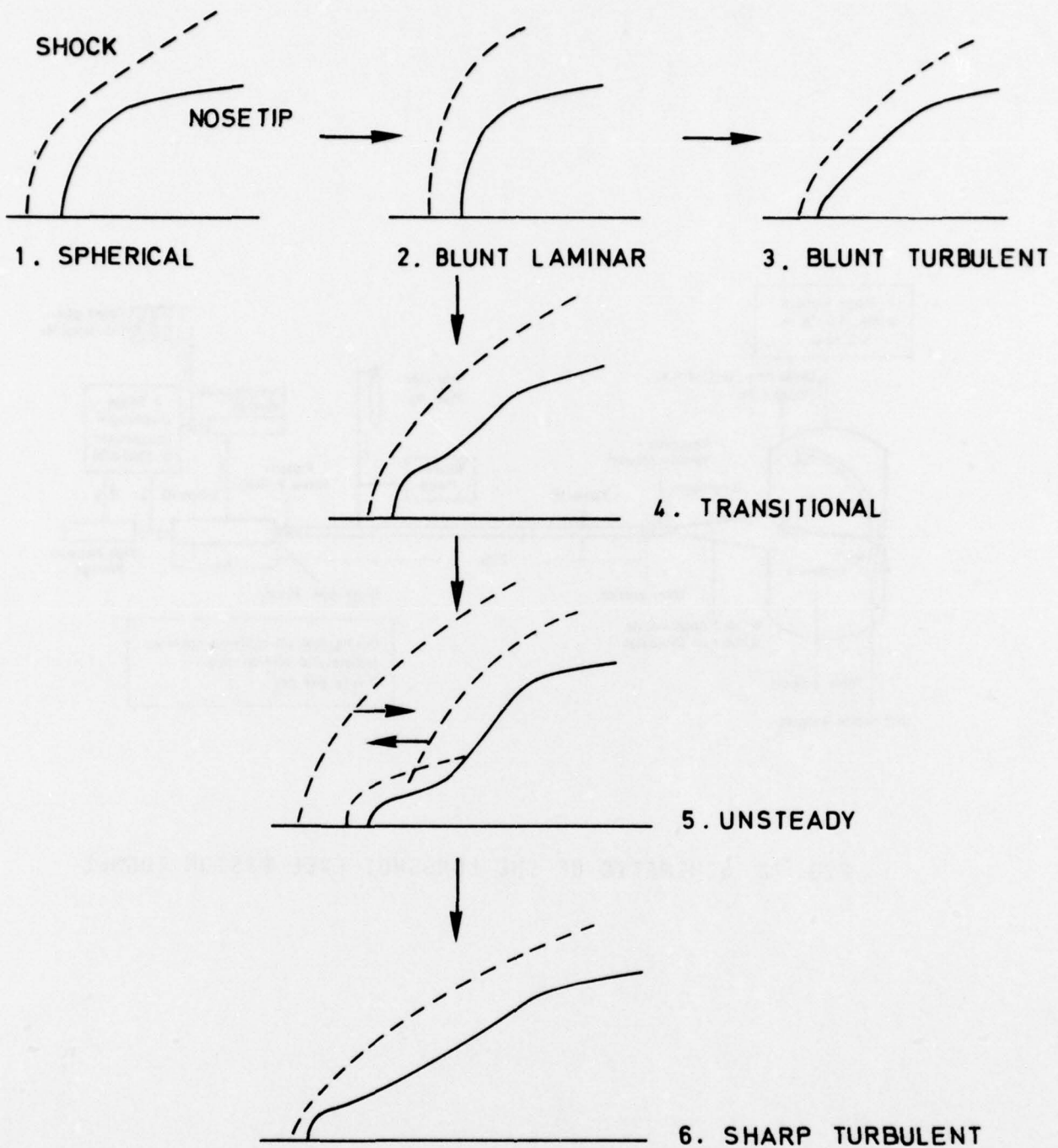


FIG. 1 - NOSETIP SHAPE EVOLUTION.

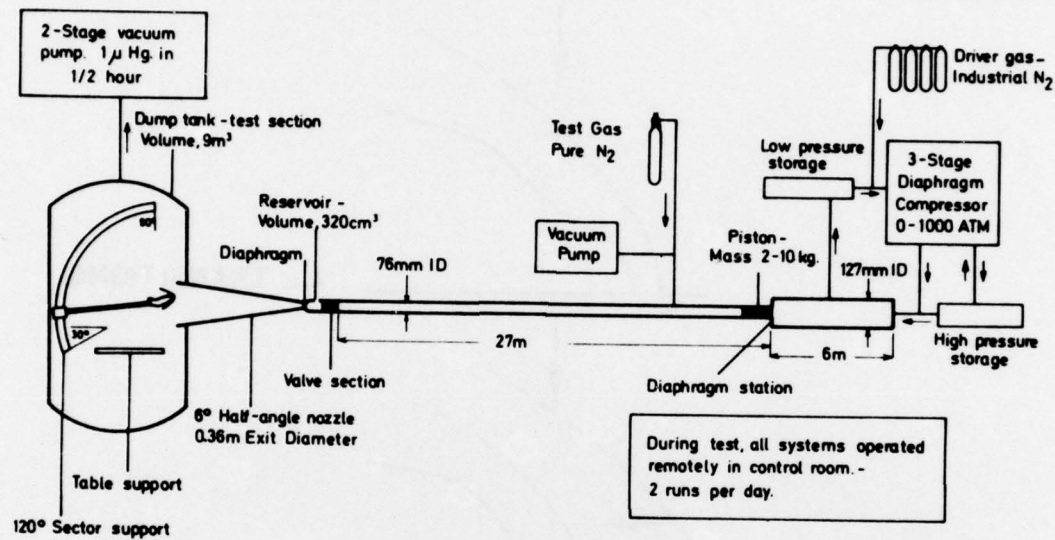
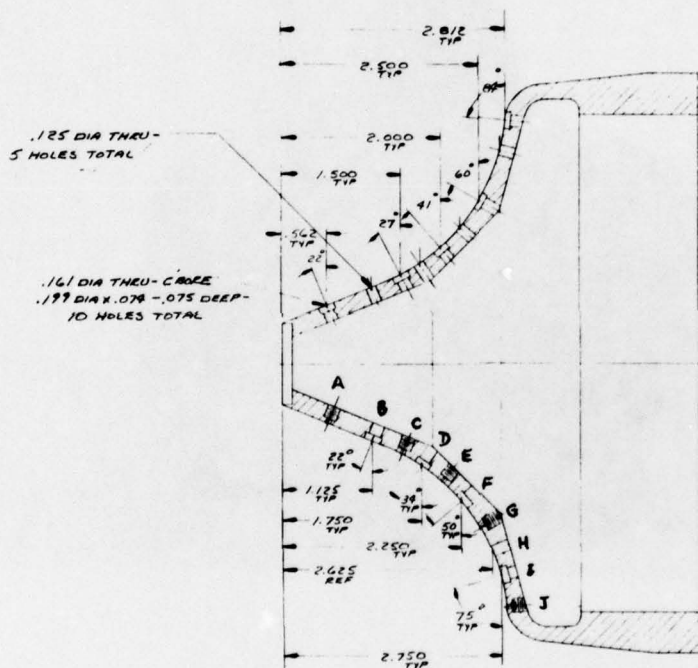
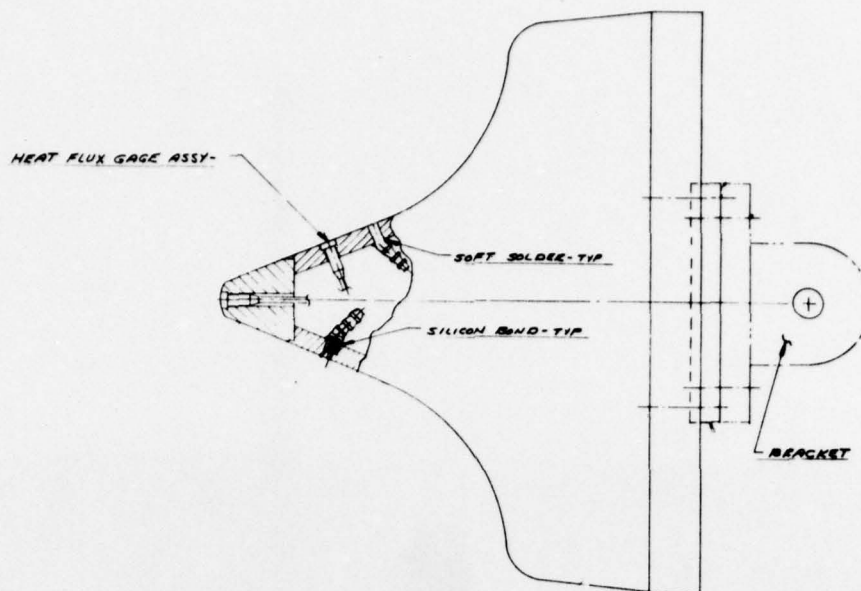


FIG. 2 SCHEMATIC OF THE LONGSHOT FREE PISTON TUNNEL



DIMENSIONS IN INCHES

POSITION OF GAUGES, S, INS. FROM STAG. PT

POS	A	B	C	D	E	F	G	H	I	J
S INS	1.6	2.2	2.6	2.9	3.3	3.6	4.0	4.4	4.7	5.5

FIG. 3 - SCHEMATIC OF MODELS MR1, MR2.



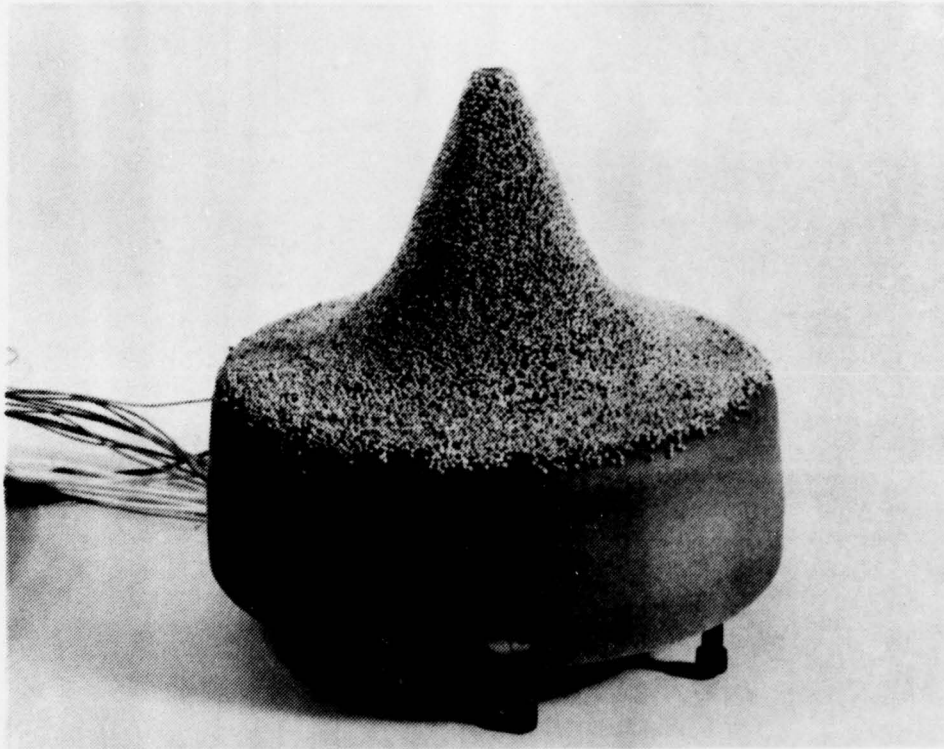
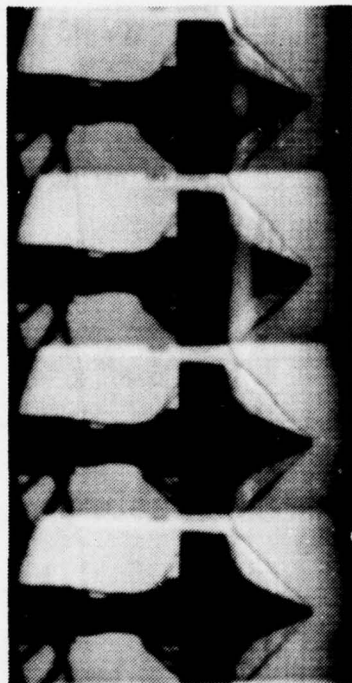


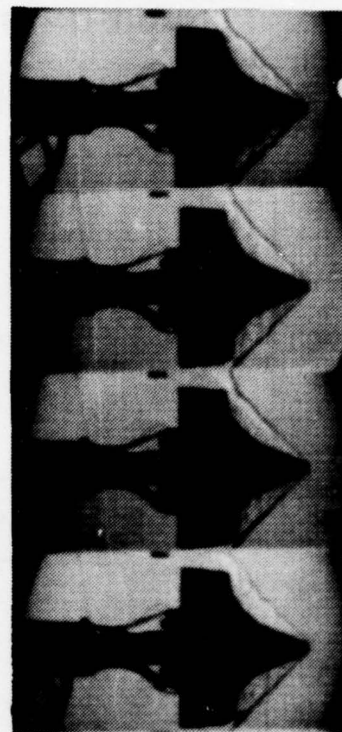
FIG. 4 - PHOTOGRAPH OF MODEL MR 2

MODEL MR1

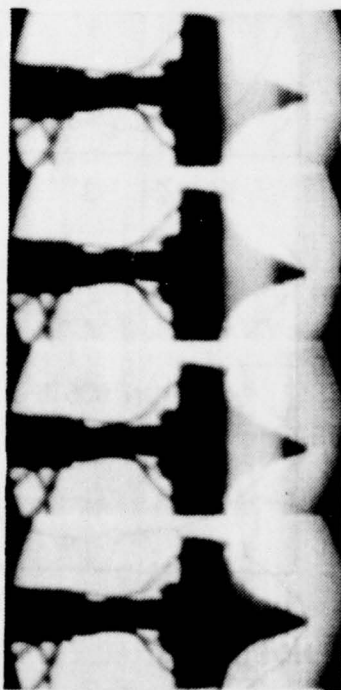


I) RUN 596,  $\alpha = 0^\circ$

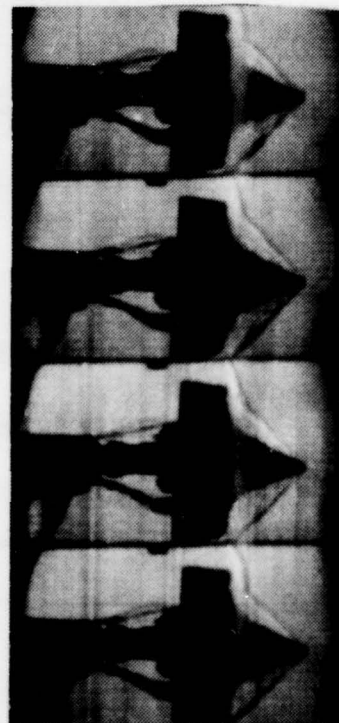
MODEL MR2



II) RUN 600



III) RUN 593,  $\alpha = 3^\circ$



IV) RUN 606,  $\alpha = 3^\circ$

FIG. 5 a - SCHLIEREN PHOTOGRAPHS  $M = 16$ ,  $Re = 9 \times 10^6 / ft$ .

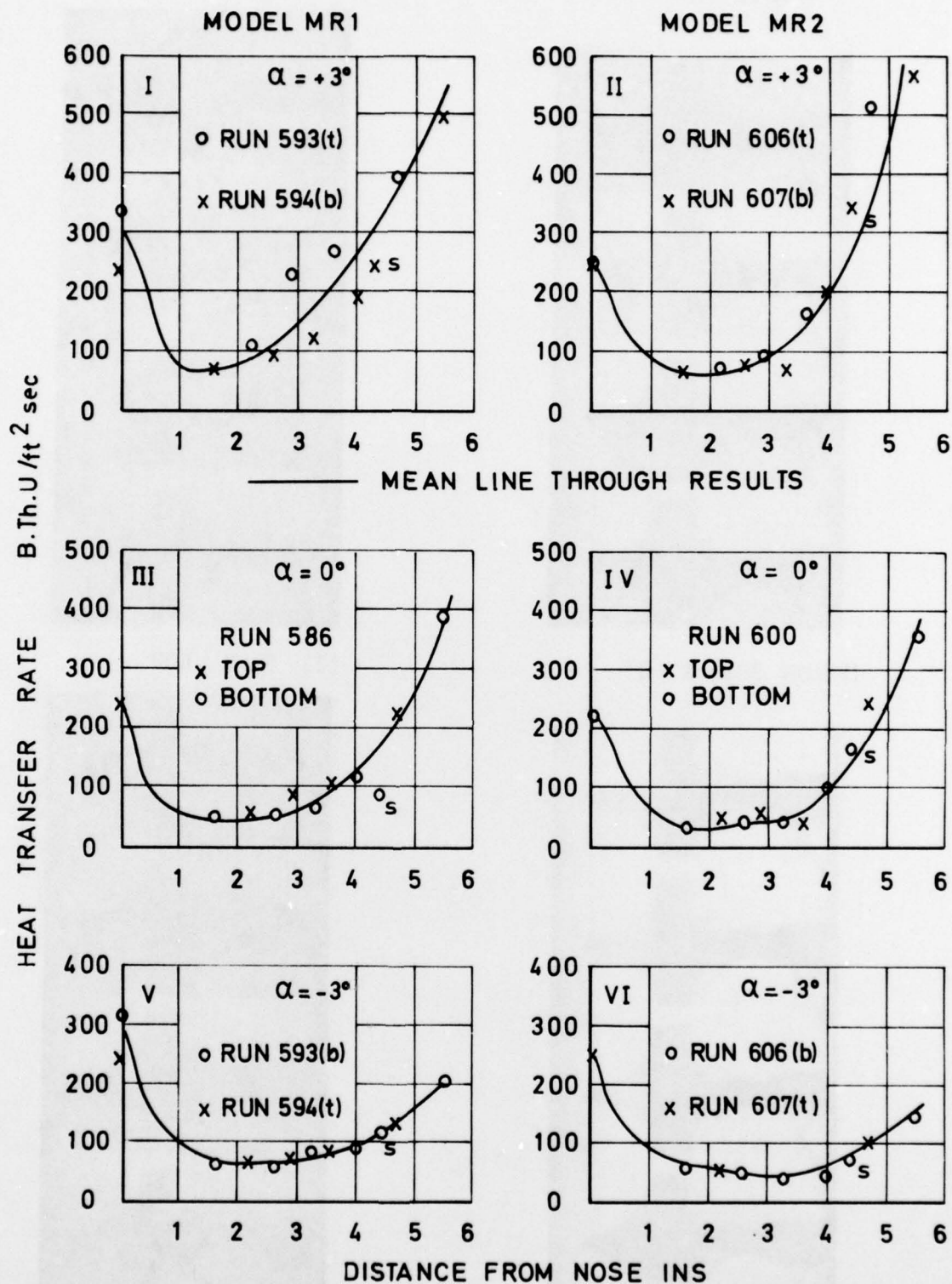


FIG.5b \_ HEAT TRANSFER MEASUREMENTS

$$M = 16, R_e = 9 \times 10^6 / \text{ft}$$

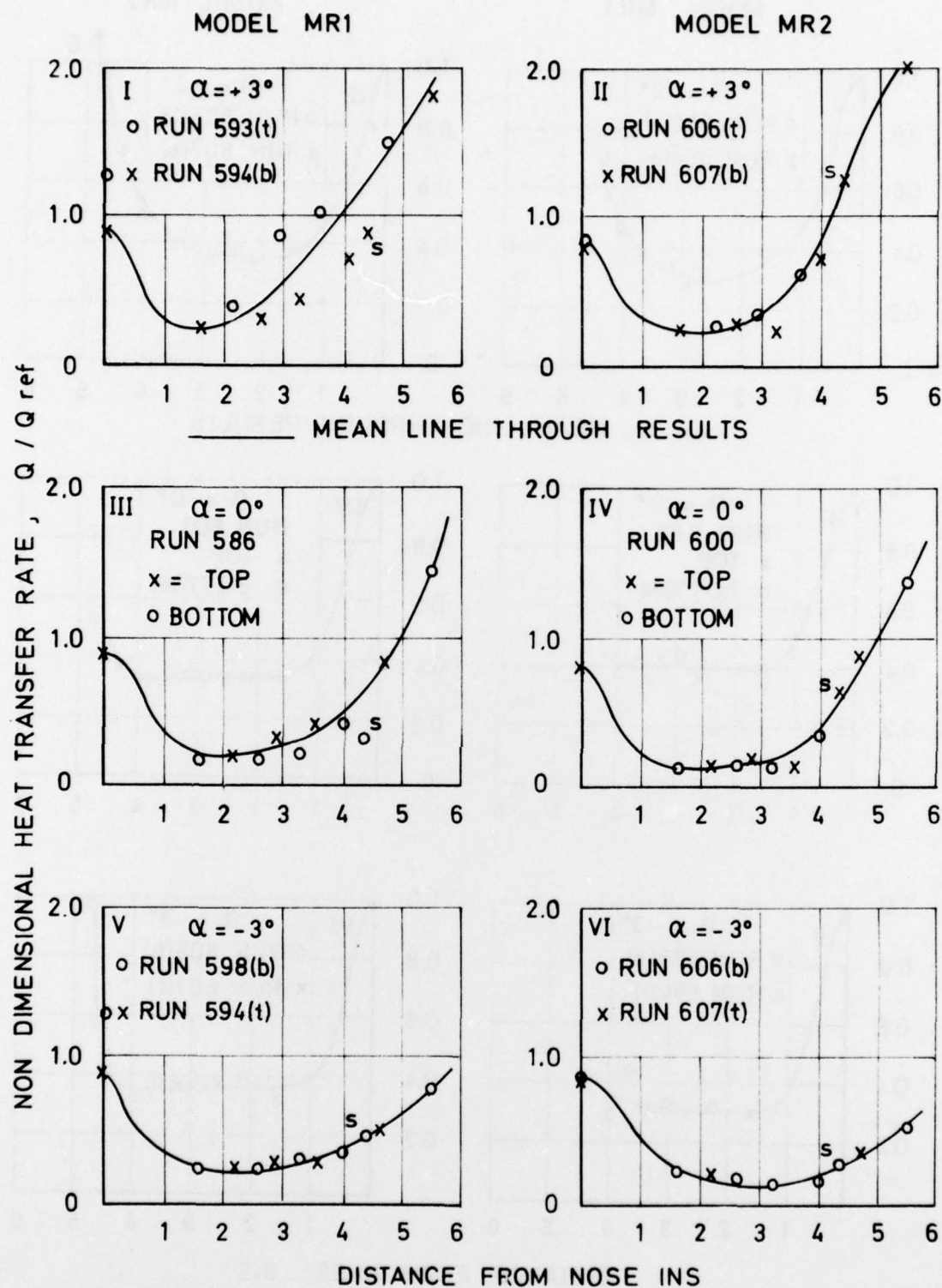


FIG. 5c - NON-DIMENSIONAL HEAT TRANSFER MEASUREMENTS

$$M = 16, \quad R_e = 9 \times 10^6 / ft$$

$Q_{REF}$  IS THEORETICAL STAGNATION POINT HEAT TRANSFER.



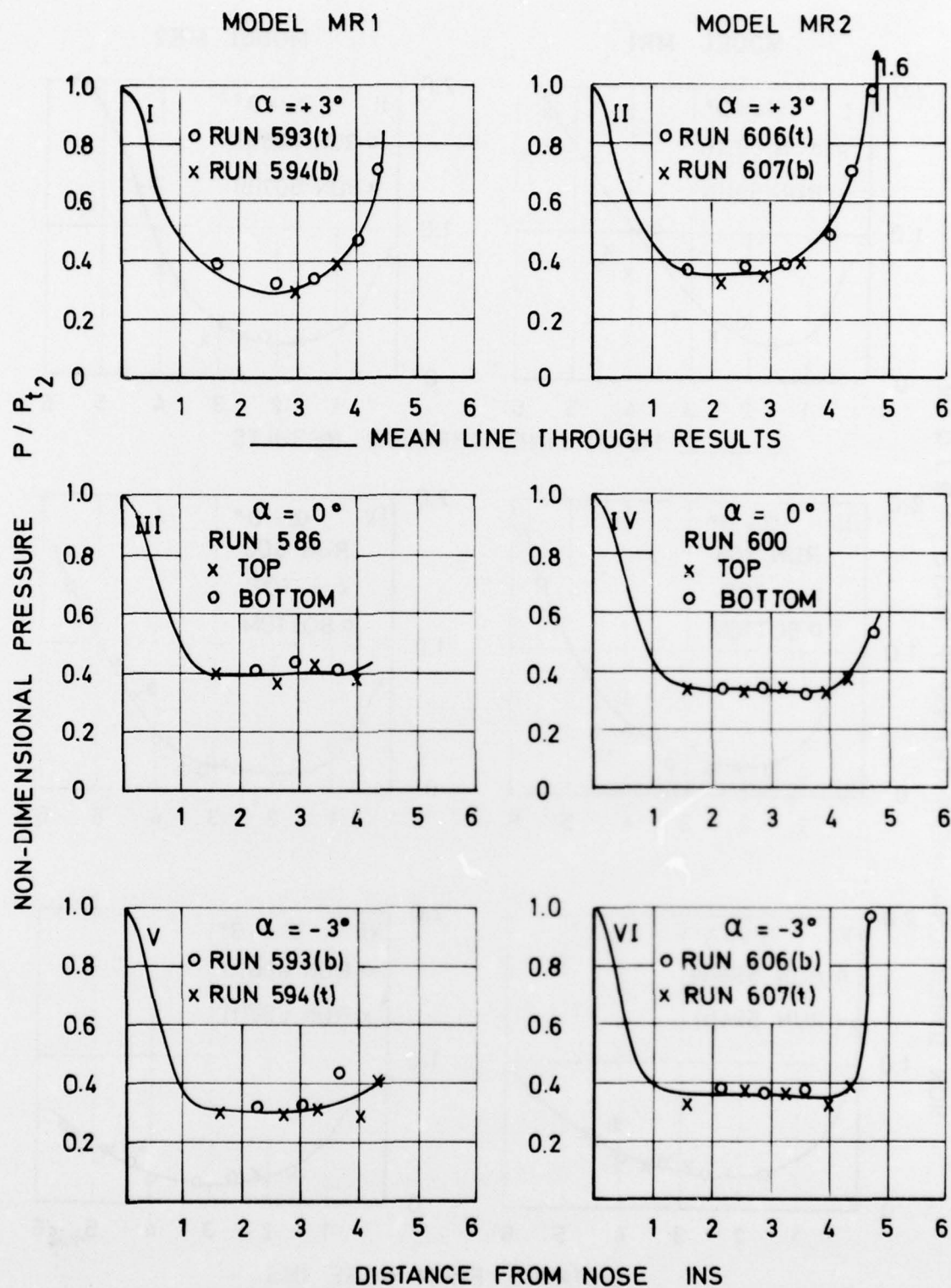
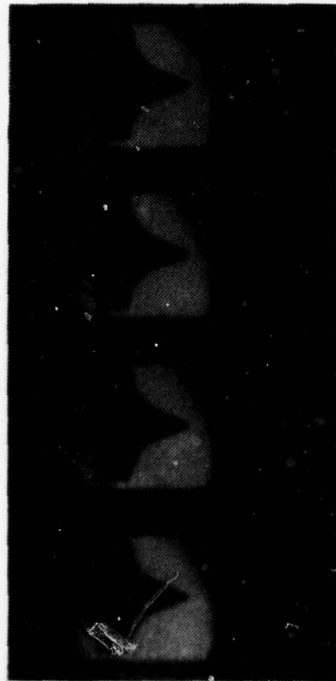


FIG. 5d. NON-DIMENSIONAL PRESSURE MEASUREMENTS

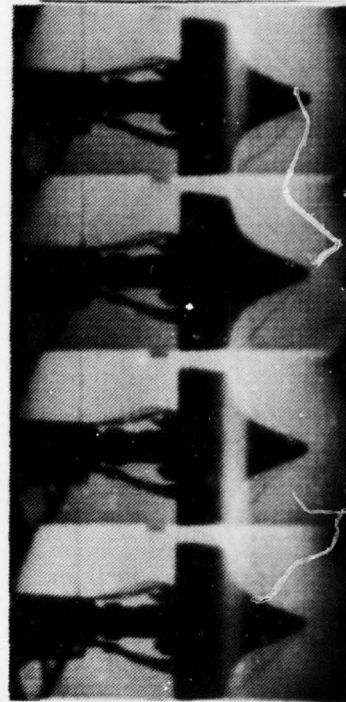
$$M = 16, \quad R_e = 9 \times 10^6 / ft$$

MODEL MR1

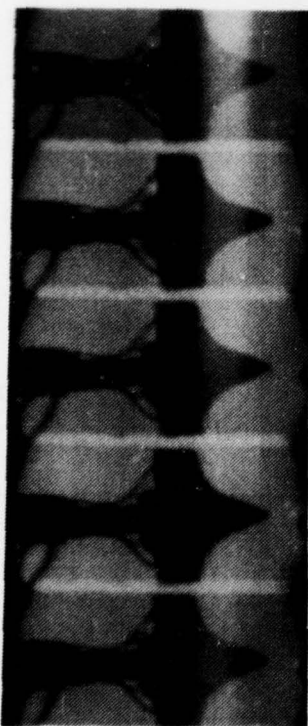


I) RUN 589,  $\alpha = 0$

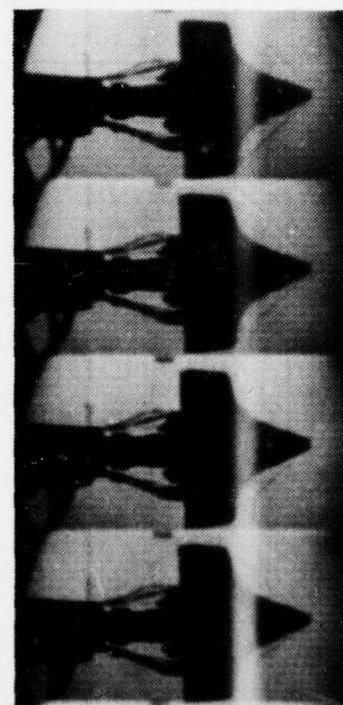
MODEL MR2



II) RUN 603,  $\alpha = 0^\circ$



III) RUN 591,  $\alpha = 0$



IV) RUN 605,  $\alpha = 3^\circ$

FIG. 6a - SCHLIEREN PHOTOGRAPHS ,  $M = 20$  ,  $Re = 3 \times 10^6 / ft$

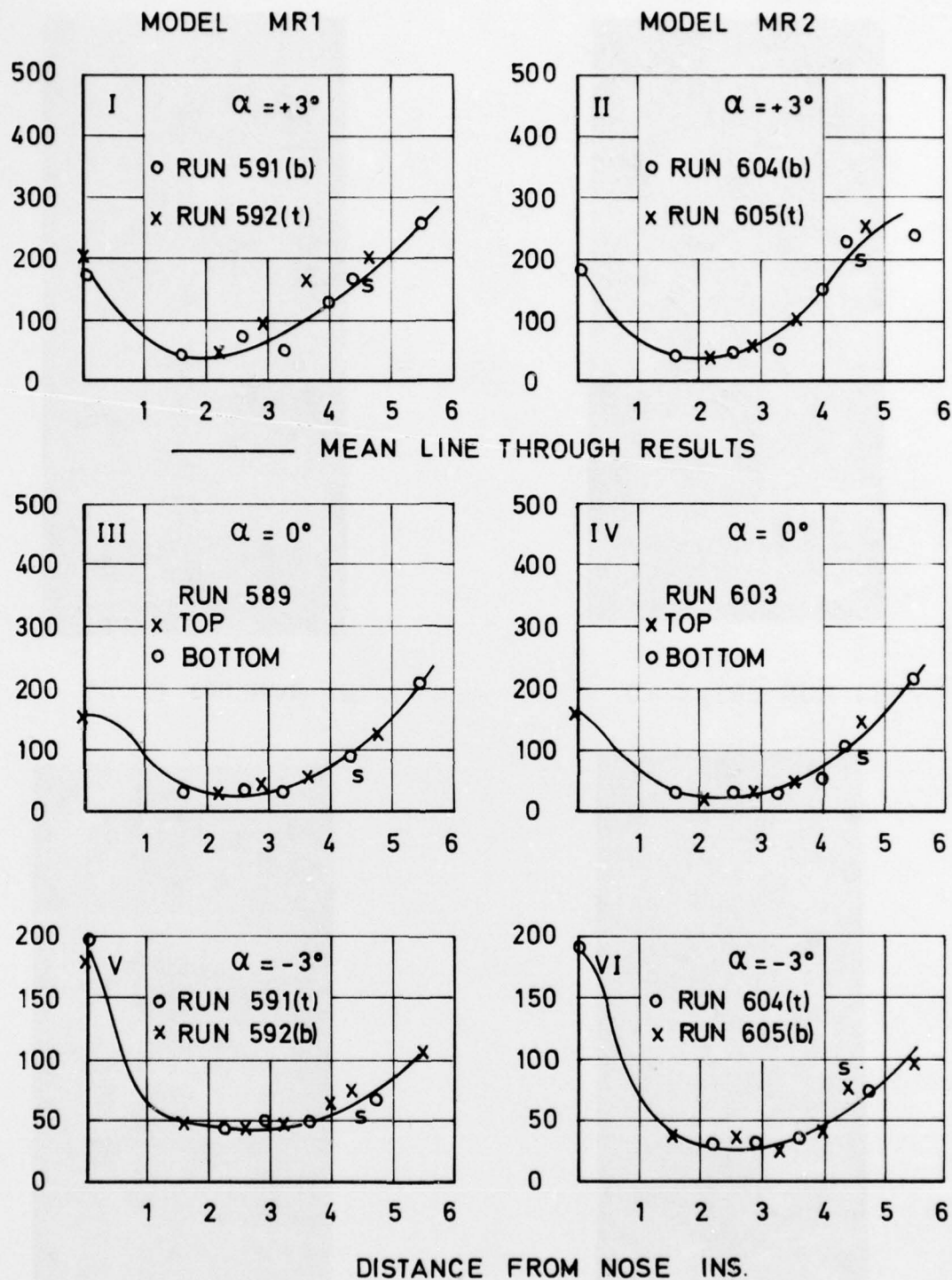


FIG. 6 b — HEAT TRANSFER MEASUREMENTS

$$M = 19, \quad R_e = 3 \times 10^6 / ft$$

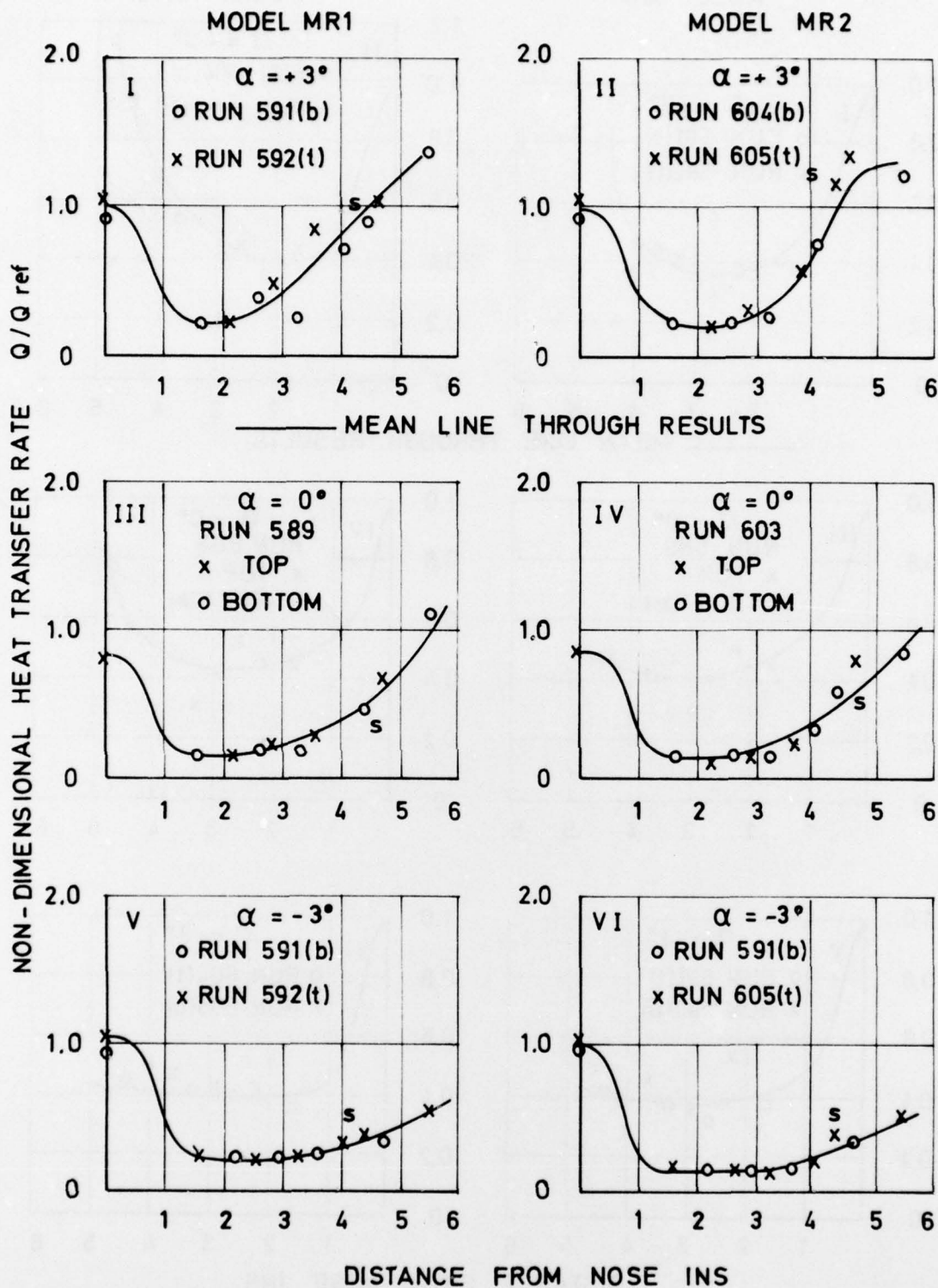


FIG. 6c — NON-DIMENSIONAL HEAT TRANSFER MEASUREMENT  
 $M = 19$  ,  $Re = 3 \times 10^6 / ft$   
 $Q_{REF}$  IS THEORETICAL STAGNATION POINT  
 HEAT TRANSFER.



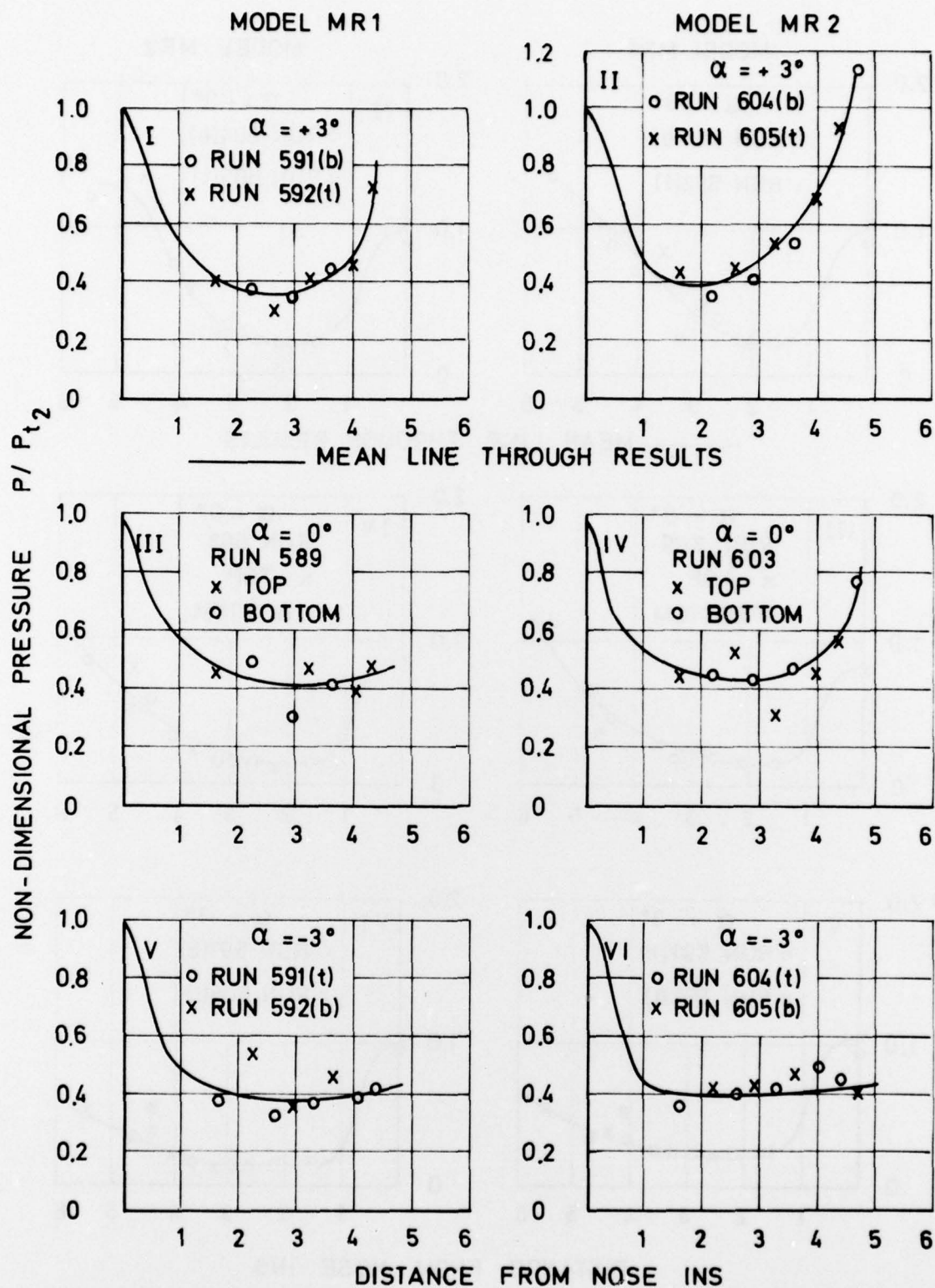
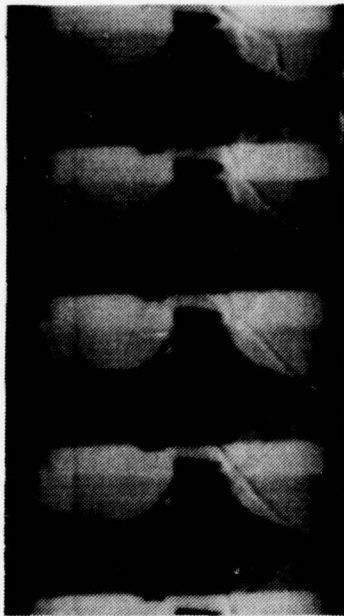


FIG. 6 d - NON-DIMENSIONAL PRESSURE MEASUREMENTS

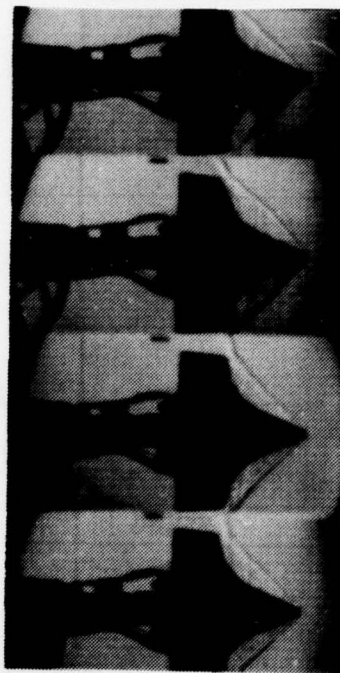
$$M = 19, \quad R_e = 3 \times 10^6 / \text{ft}$$

MODEL MR1



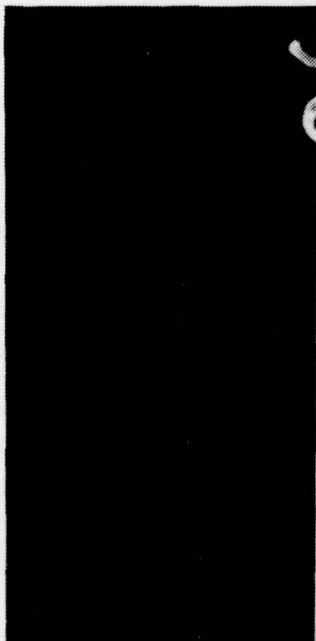
I) RUN 598

MODEL MR2

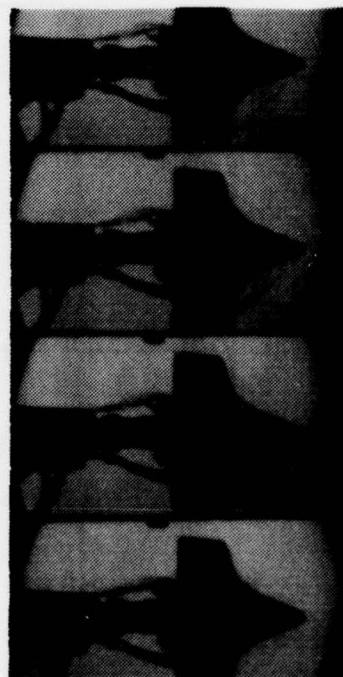


II) RUN 601

$$M = 16, R_e = 5 \times 10^6 / \text{ft}, \alpha = 0$$



III) RUN 590



IV) RUN 602

$$M = 20, R_e = 2 \times 10^6 / \text{ft}, \alpha = 0$$

FIG. 7 a - SCHLIEREN PHOTOGRAPHS, ZERO INCIDENCE.

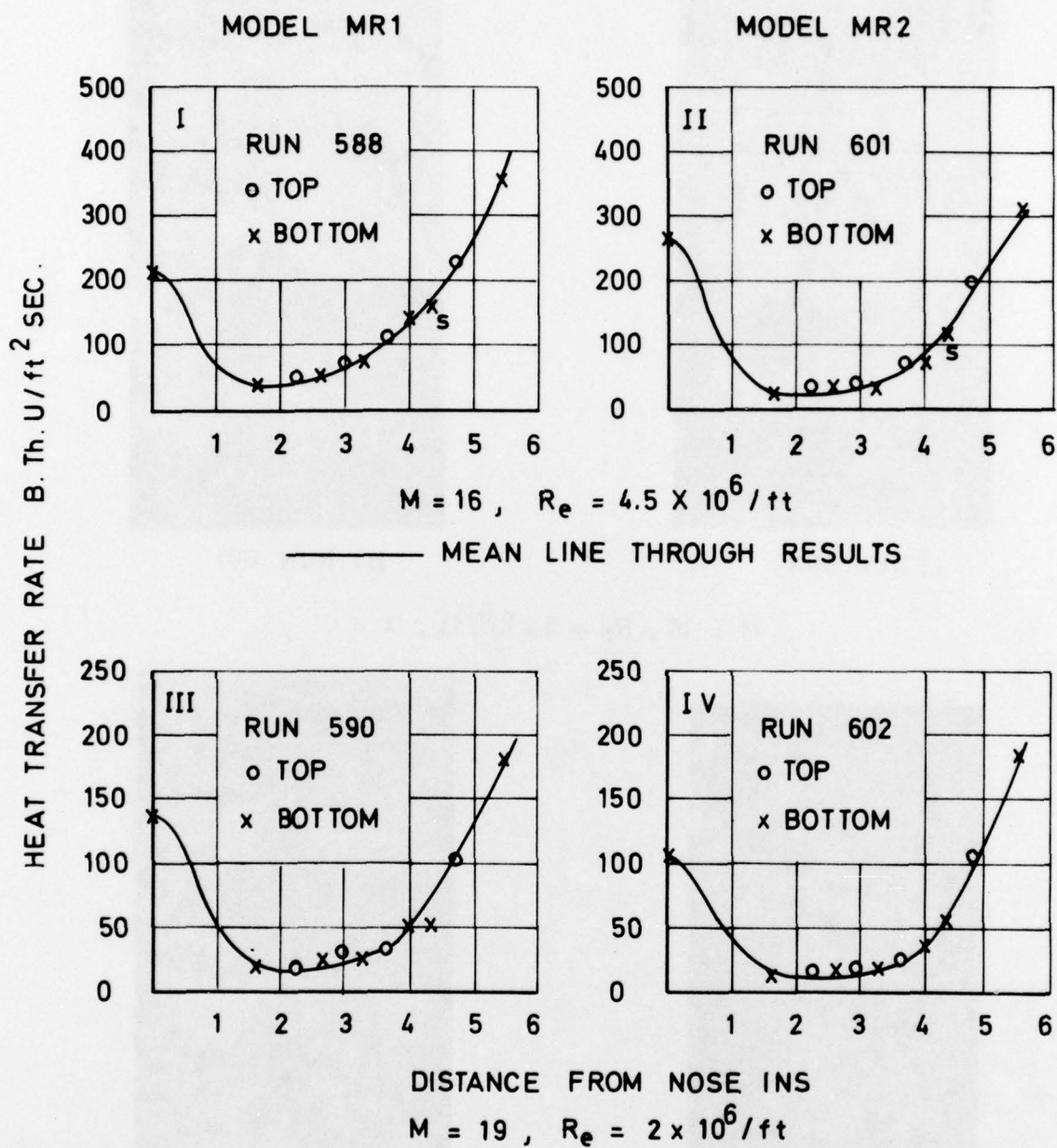


FIG. 7b - HEAT TRANSFER RATE. ZERO INCIDENCE.

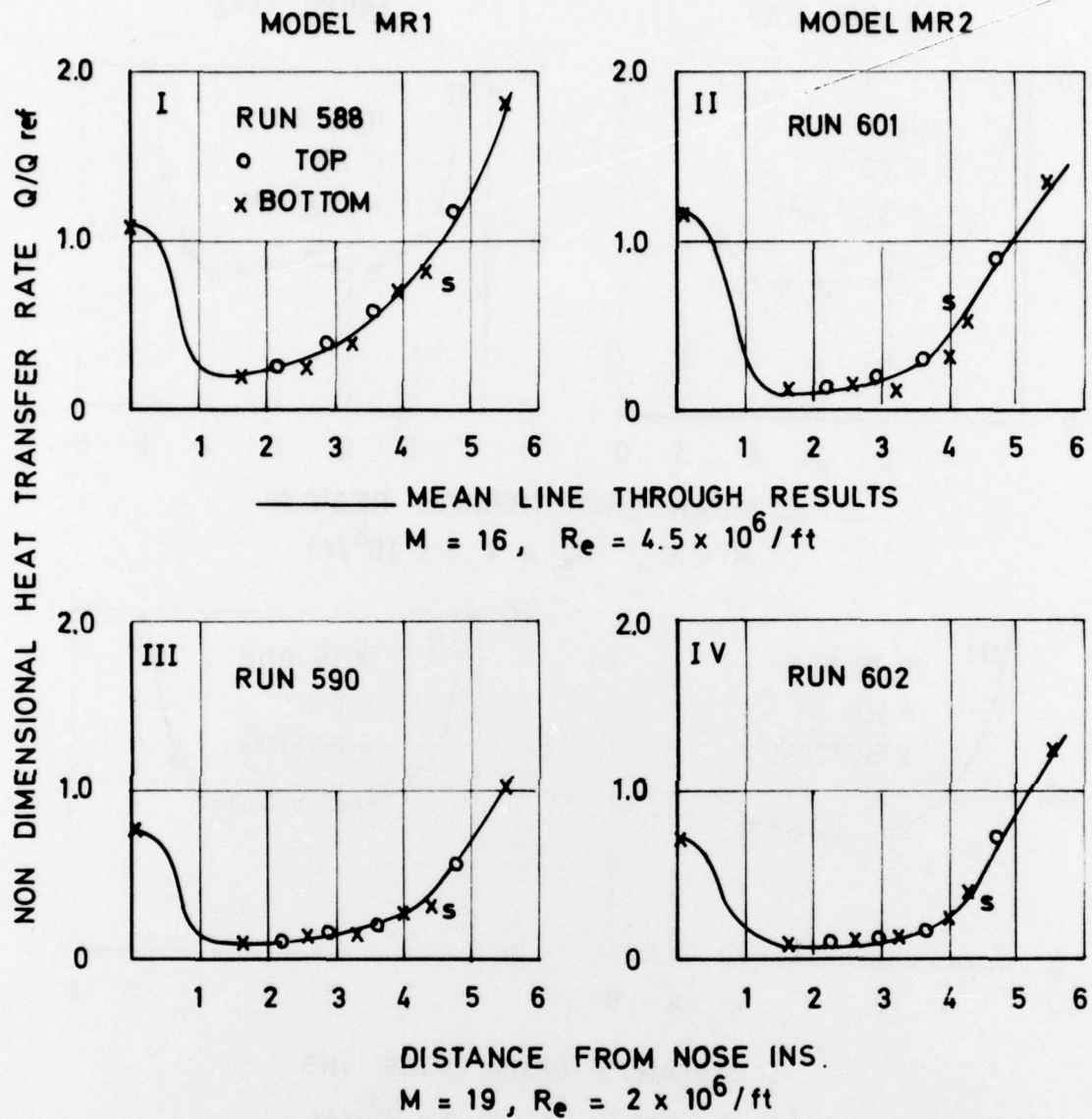


FIG. 7c - NON DIMENSIONAL HEAT TRANSFER RATE -  
 ZERO INCIDENCE.  
 Q REF IS THEORETICAL STAGNATION POINT  
 HEAT TRANSFER.



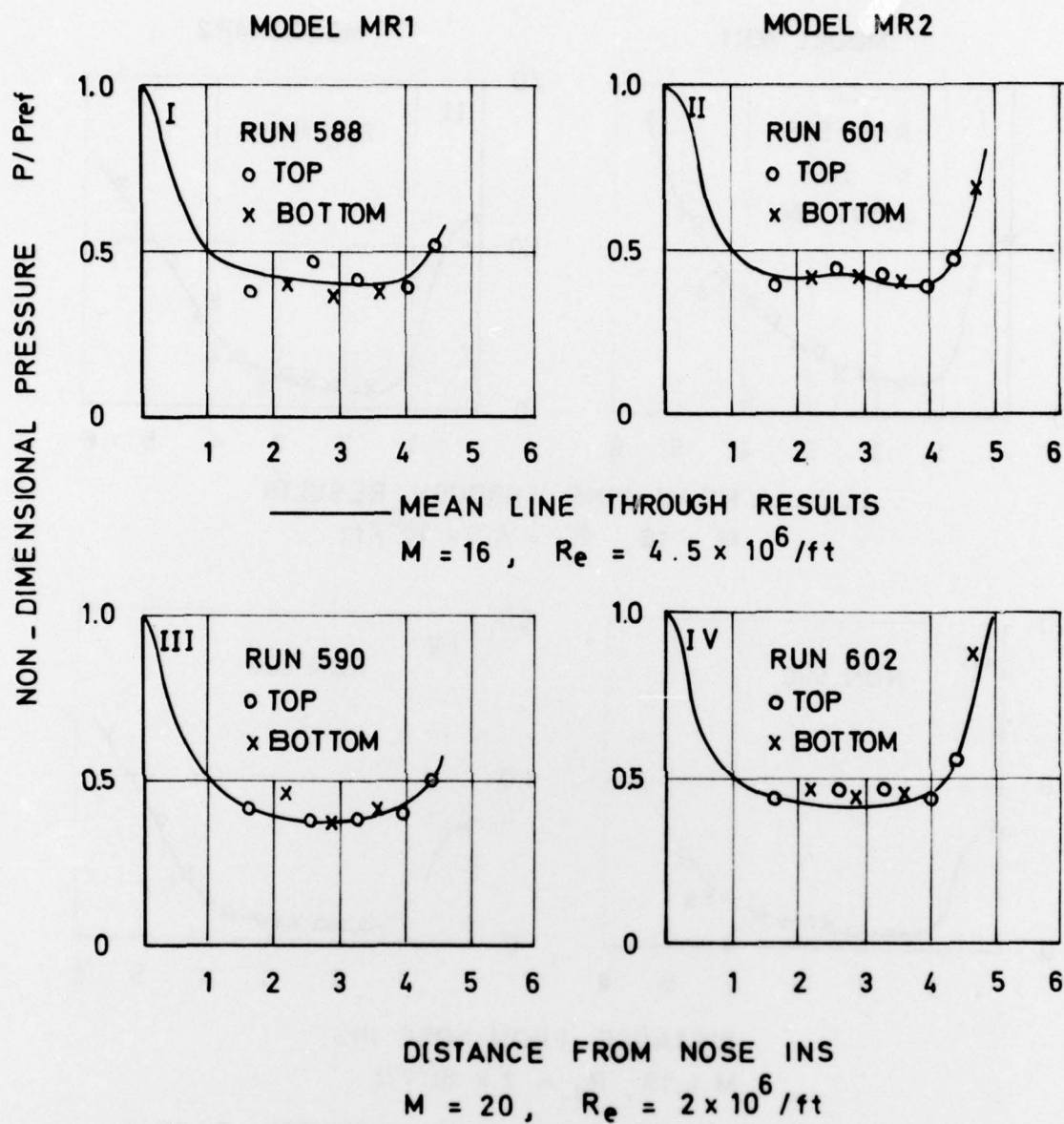


FIG. 7d - NON-DIMENSIONAL PRESSURE MEASUREMENTS.  
ZERO INCIDENCE.

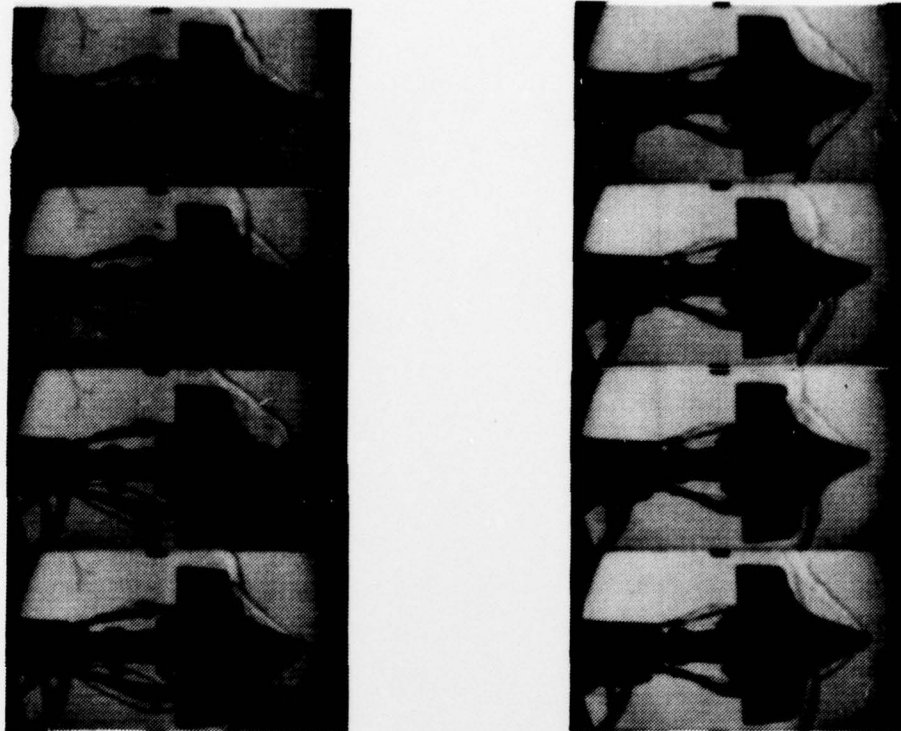


FIG. 8 - TYPICAL HIGH SPEED SCHLIEREN PHOTOGRAPH SEQUENCES OF UNSTABLE FLOW.

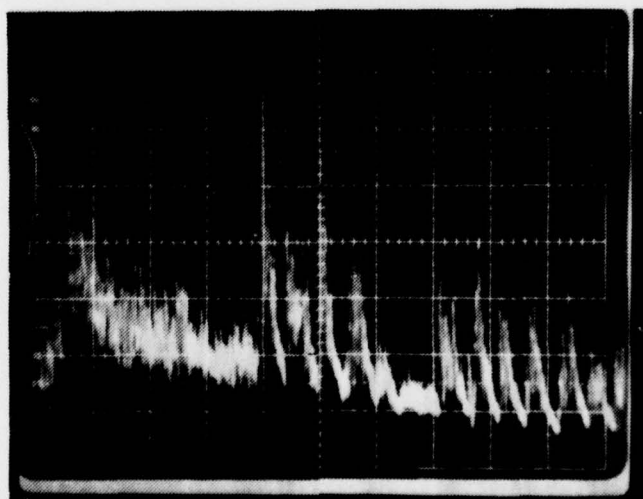


FIG. 9 - TYPICAL PRESSURE SIGNAL IN UNSTABLE FLOW.